

SECOND SOLUTIONS OF SOME WHOLE NUMBER EQUATIONS

Smolygin V.D.

Tel.: 8 916 834 87 96, E-mail: smolyg@yandex.ru

The possibilities have been proved for the use of full-parallel solution method (FP method) for finding the second nontrivial solutions for some whole number equations.

The second nontrivial solutions have been defined for the equation $X^2+Y^2=Z^2$ and equation $x^2-Ay^2=1$ in whole numbers.

For example, for the equation $X^2+Y^2=Z^2$:

- there are solutions: $X_1=m^2-n^2$, $Y_1=2m\cdot n$, $Z_1=m^2+n^2$ [1];

- other solutions: $X_2=2n-m^2-n^2$, $Y_2=2n-m\cdot n$, $Z_2=2n-m^2+n^2$ [2].

Here: m and n are mutually heterogeneous prime * numbers, $m>n$.

The transformation of equations from multiple unknowns using FP method will define so many equations from one unknown as the number of unknowns contained in this equation; the highest degree of equation from one unknown is equal to the highest degree of monomials included into the equation from multiple unknowns.

Two solutions are defined for the equation $X+Y^2=Z^2$ in whole numbers.

Three solutions are defined for the equation $X+Y^3=Z^3$ in whole numbers.

The second solution examples are given for some of the solved equations in square whole numbers and higher from multiple unknowns.

*Two numbers one of which is even and another is odd are called heterogeneous.

References.

1. G.Rademacher and O. Teplits Numbers and figures. Experiments of mathematic thinking. M.: State publishing house of physical-mathematical literature, 1962. 264 pages.
2. Smolygin V.D. Two roots of equation type $X^2+Y^2=Z^2$ (Two solutions of the equation type $X^2+Y^2=Z^2$) // United scientific journal № 28. Moscow: Scientific publications' fund. 2005. pg. 68-76.