ABOUT SOME RETURN TASKS FOR ELLIPTICAL EQUATIONS

Aliyev R. A.

The Azerbaijan University of Cooperation Chair: "Information and economic information systems" Azerbaijan, AZE 1106, N.Narimanov 8b, tel.: (99412) 4360589, 5628745, e-mail:aramiz56@mail.ru

The number of applied tasks is connected to definition of coefficients of an elliptical equation under some additional information on solution. In particular, definition heat physics environment characteristics in a stationary case leads to the return task for an elliptical equation.

The return tasks for the queasy linear equations of elliptic type are considered in operations [1-2]. Let D – the bounded area n-dimensional evklid spaces E_n . $x=(x_1, x_2, x_3, ..., x_n)$ - any point belonging D, Γ – the border of area D assumed enough smooth and, $\Gamma = \Gamma_1 + \Gamma_2$, p_0, p_1 - the set numbers. $Q = [p_0, p_1]$. We will consider the task about definition from following conditions { $k_n(u), q(u), u(x, p)$ }:

$$\begin{aligned} &-\sum_{i=1}^{n} k_{i}(u)u_{x_{i}x_{i}} + q(u)u = h(x, p), x \in D, p \in Q \\ &u(x, p)\mid_{\Gamma_{1}} = f_{1}(\xi, p), \quad \xi \in \Gamma_{1}, \quad p \in Q \\ &u_{\nu_{1}}(x, p)\mid_{\Gamma_{2}} = f_{2}(\xi, p), \quad \xi \in \Gamma_{2}, \quad p \in Q \\ &k_{n}(F_{1}) \ u_{\nu_{2}}(\xi_{1}, p) = g_{1}(p), \quad p \in Q \\ &k_{n}(F_{2}) \ u_{\nu_{1}}(\xi_{2}, p) = q(F_{2})\varphi(p) + g_{2}(p), \quad p \in Q \end{aligned}$$

where i = 1,2 - the fixed points the set functions, $\Gamma_1, F_i = F_i(p) = f_1(\xi_i, p), i = 1,2,$ $h(x, y), f_1(\xi, p), f_2(\xi, p), \phi(p), g_i(p), i = 1,2,$ $k_i(u), i = 1,2,..., n-1, 0 < k_i(u) \in C_{1+\alpha}[R_1, R_2],$ i=1, 2,...,n-1, h(x, p), at any belong $p \in Q$ according to spaces $C_\alpha(D), C_{2+\alpha}(\Gamma_1), C_{1+\alpha}(\Gamma_2)$ and on p belong $C_\alpha(Q), g_i(p) \in C_\alpha(Q), i = 1,2, \psi(P) \in C_\alpha(Q), \upsilon_1$ – a direction of an external normal to boundary Γ_2 , υ_2 – a direction of an internal normal to boundary $\xi_i, i = 1,2$ $u_{\upsilon_2}(\xi_i, p) = \frac{\partial u}{\partial \upsilon_2}(\xi_i, p), i = 1,2$ in point R1, R2 – some numbers. Let's assume that functions $F_i(p), i = 1,2$ have opposites $\varphi_i(F_i), i = 1,2$ defined on [R1, R2] in the field of value on Q and belongings $C_\alpha(Q)$. The thesis is devoted to research of questions of a correctness of this class

of return tasks for elliptical equations.

References

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